

# AML 883 Properties and selection of engineering materials

## **LECTURE 11. Strengthening mechanisms**

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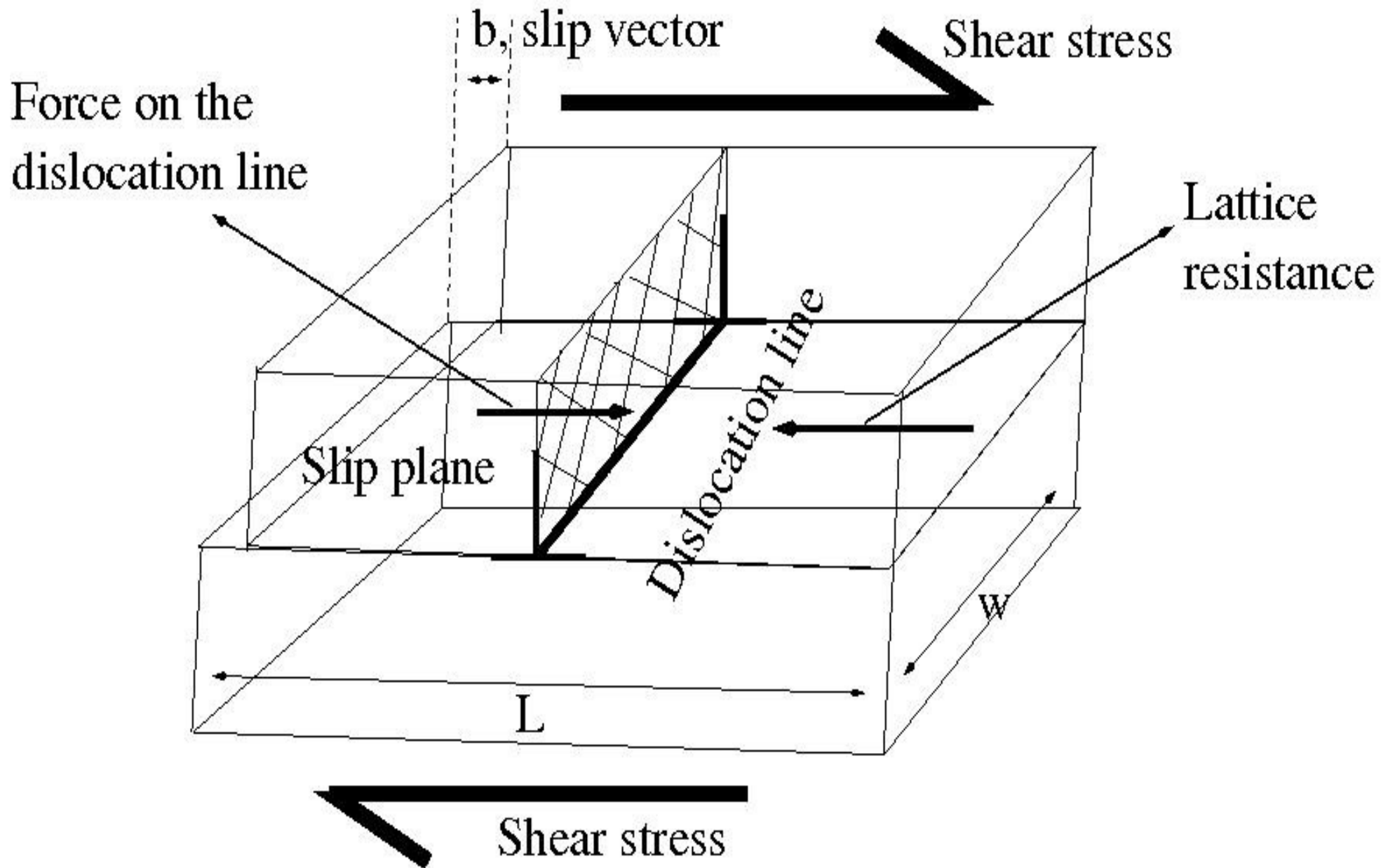
# Lattice resistance

- Why pure metals are soft and ceramics are hard?

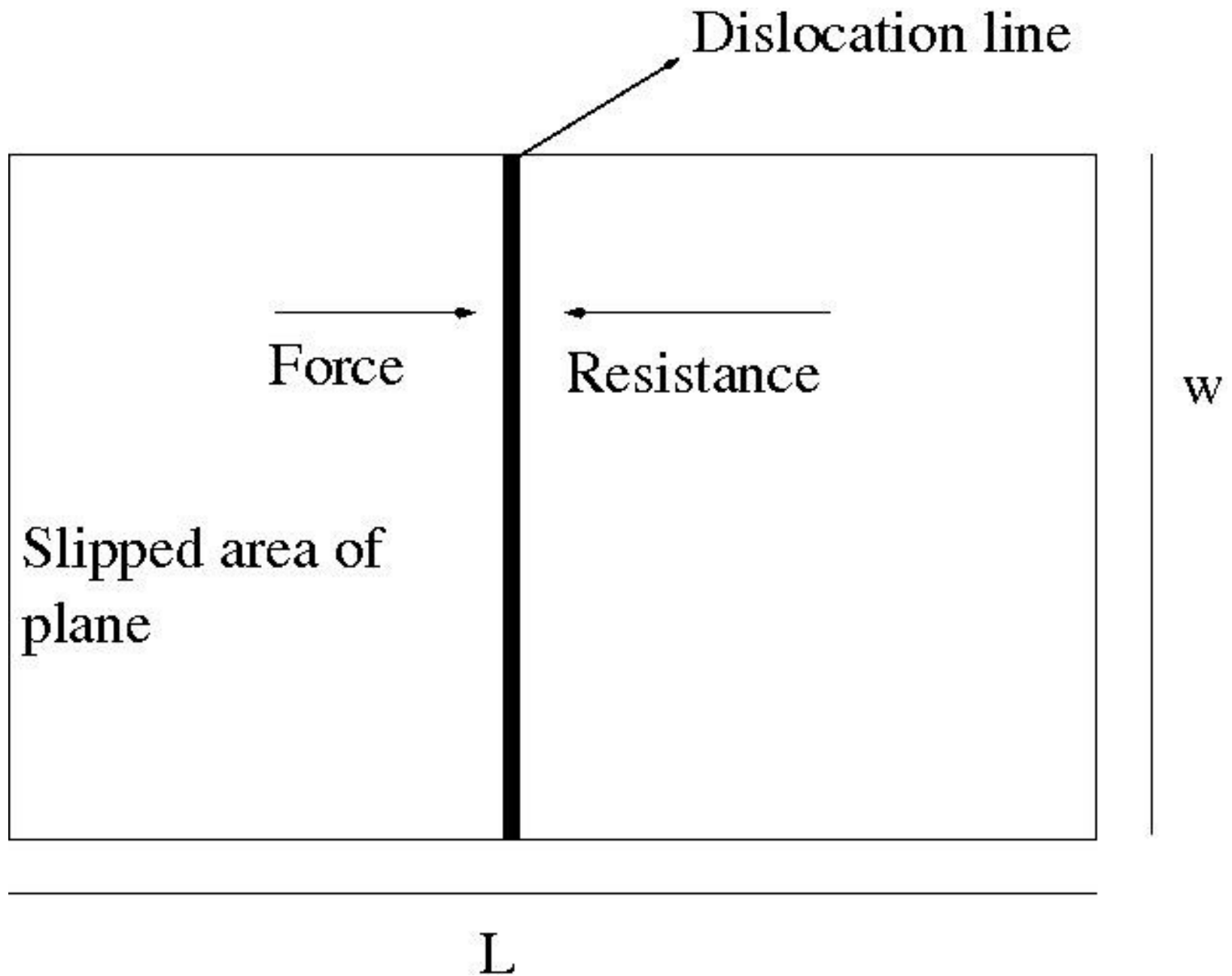
# Lattice resistance

- Why pure metals are soft and ceramics are hard?
- Bonding – non-localised (allow free flow of dislocations) and localised (lock dislocations in place)

# Lattice resistance



# Lattice resistance



# Lattice resistance

- Consider a dislocation moving in a slip plane
- Let the line be of width “w” and traverse a distance “L” under the influence of the applied shear stress “ $\tau$ ” to shift the upper crystal with respect to the lower crystal by “b”
- Then, shear force  $F = Lw\tau$
- Work done,  $W = Lwb\tau$
- Since this work is done against the lattice resistance per unit length, “f”, it equals  $fLw$ .

# Lattice resistance

- Equating the work done by the shear force and the work done by the lattice resistance, we obtain  $\tau b = f$
- This result holds for screw and mixed dislocations too!
- Provided shear stress exceeds  $f/b$ , the dislocations in the lattice will move

# Strengthening mechanisms

- Lattice resistance – intrinsic property – much like modulus and can hardly be manipulated
- However, we can make the dislocation do more work while slipping by putting impediments on its way
- Different types of impediments lead to different strengthening mechanisms
- How to calculate the contribution of impediments?



# Strengthening mechanisms

- Spacing between obstacles – say at a distance  $L$
- Number of obstacles that perunit length of dislocation faces:  $1/L$
- Each obstacle exerts a pinning force – say  $p$
- Contribution of obstacles to resistance is thus  $p/L$
- Addition to shear stress:  $p/(bL)$

# Pinning force

- Pinning – an elastic effect
- “p” -- goes as  $Gb^2$
- Thus, the shear stress needed to push a dislocation through obstacles is  $\tau = \alpha Gb / L$
- $\alpha$  -- Dimensionless constant that characterises the obstacle strength

# Solid solution strengthening

- Random substitutional solid solution: say zinc in copper to produce brass
- Cast copper – Yield strength of 62 M Pa ( $E=115$  G Pa)
- High tensile bronze – Yield strength 193 M Pa ( $E = 105$  G Pa)
- Zinc – bigger than copper
- Consider concentration of the solute,  $c$

# Solid solution strengthening

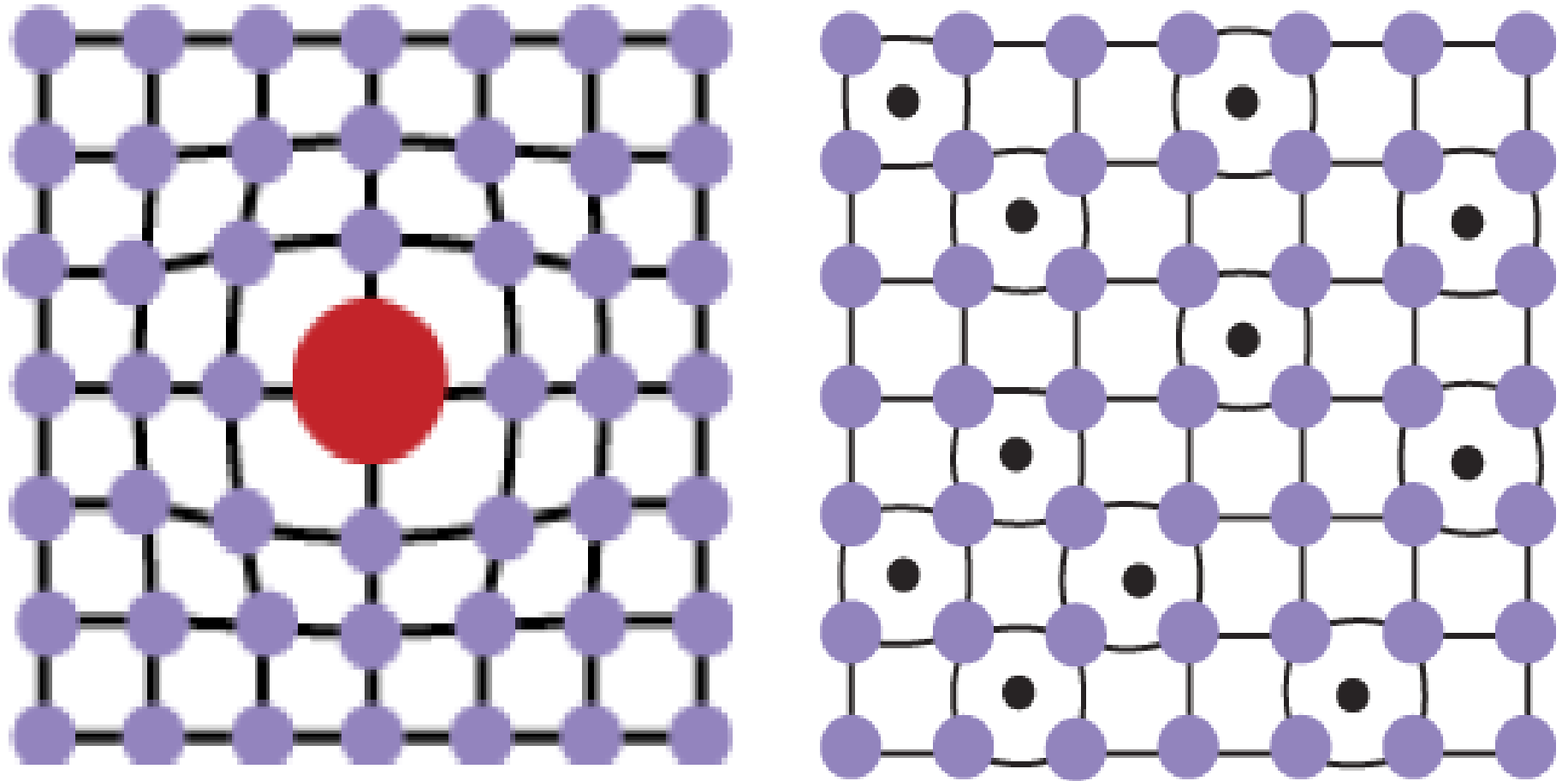
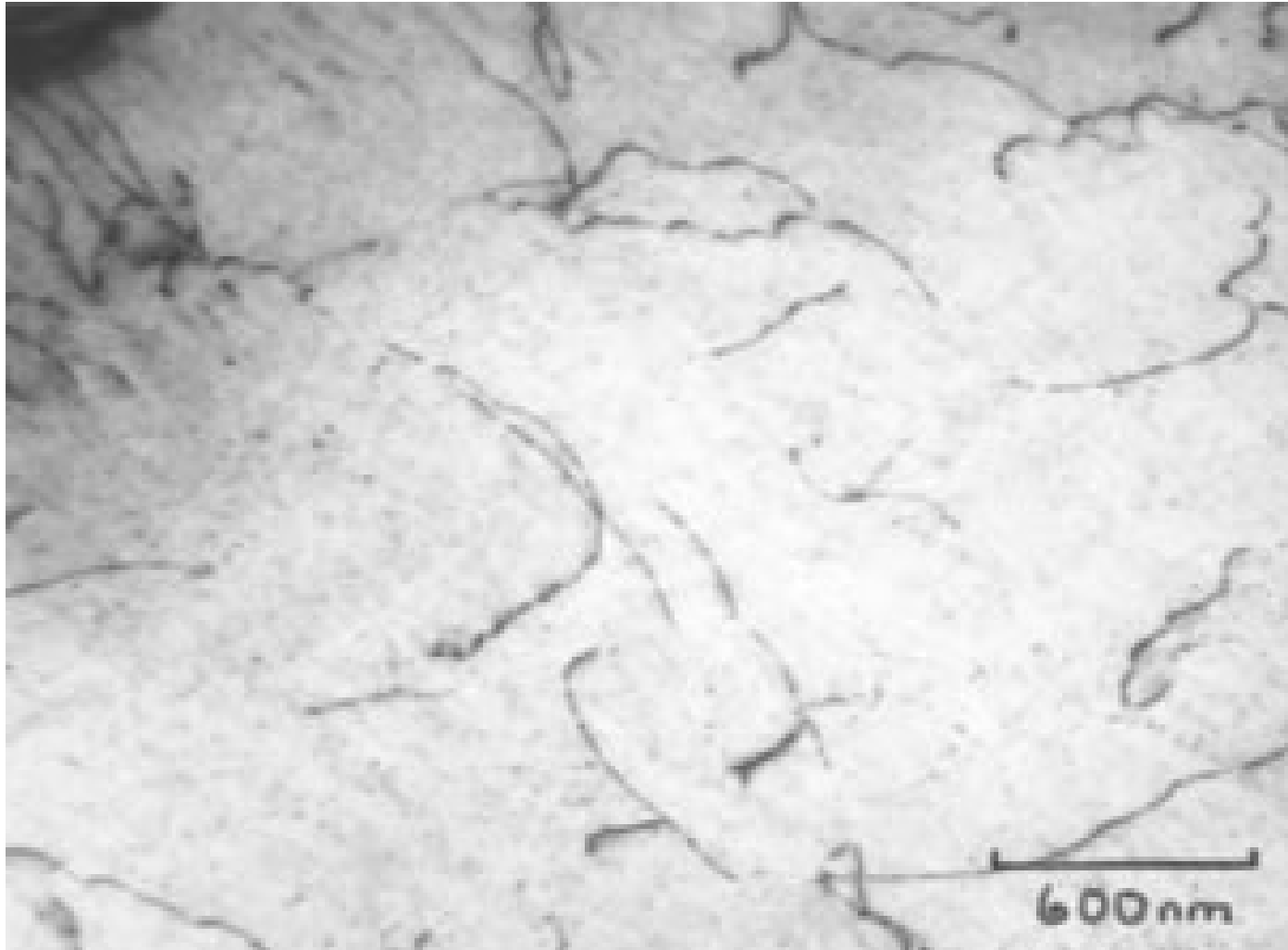


Image courtesy: wiki

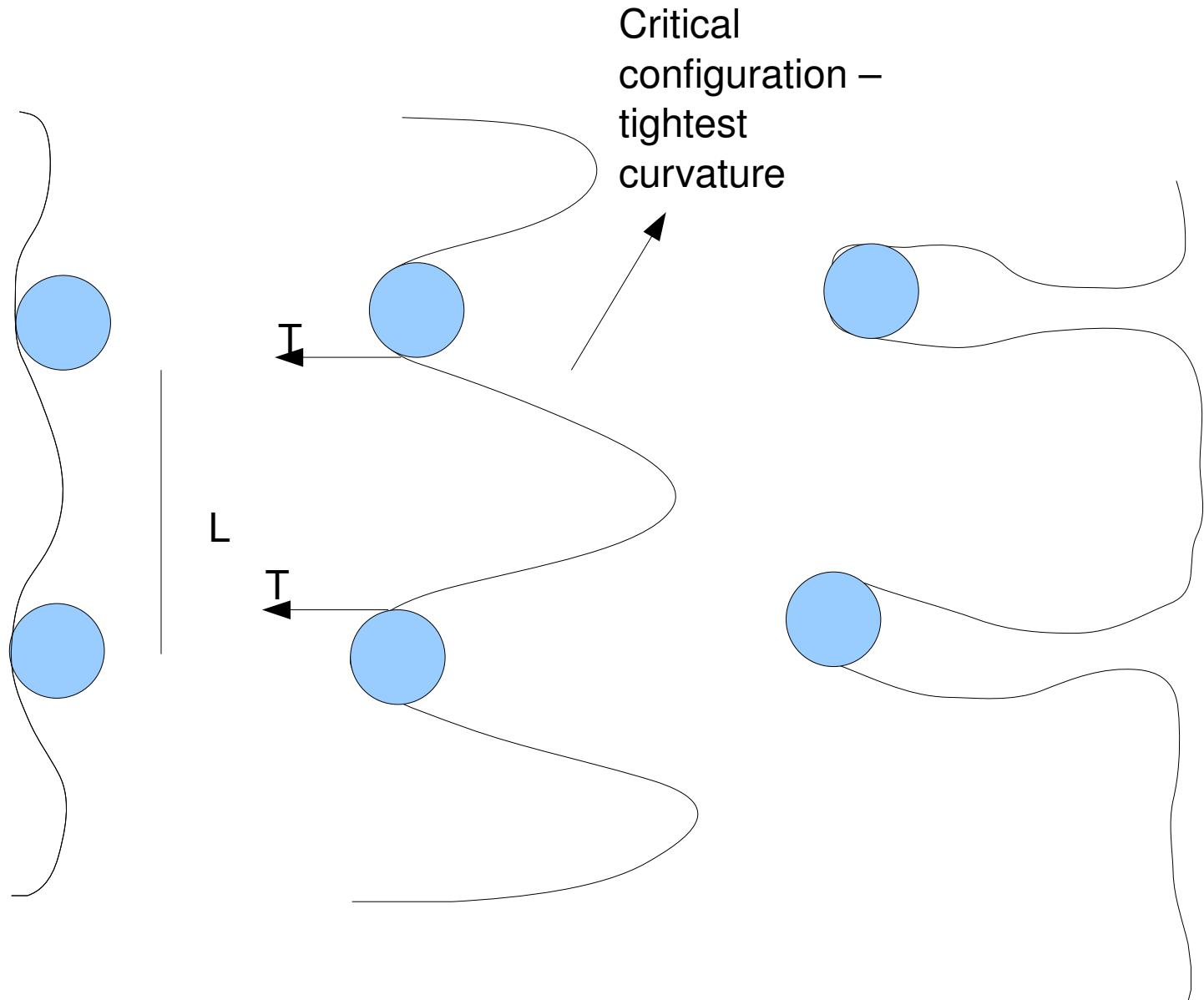
# Solid solution strengthening

- Consider concentration of the solute,  $c$
- If “a” is the size of the zinc atoms,  $c = a^2 / L^2$
- Or,  $L = a c^{-1/2}$
- Thus, solid solution hardening goes as the square root of concentration (with the non-dimensional constant  $\alpha$  representing the distortion in the crystal due to the solutes)

# Precipitate (dispersion) strengthening



# Precipitate strengthening



Slipped region – to the left of the dislocations

# Precipitate strengthening

- Critical configuration – radius of the bowed dislocation is half the inter-particle spacing
- On one segment of length  $L$ , a force of  $\tau b L$  is acting which is balanced by twice the line tension  $2T = G b^2$
- $\tau = Gb / L$
- Precipitation hardened aluminium alloys – 15 times stronger than pure aluminium

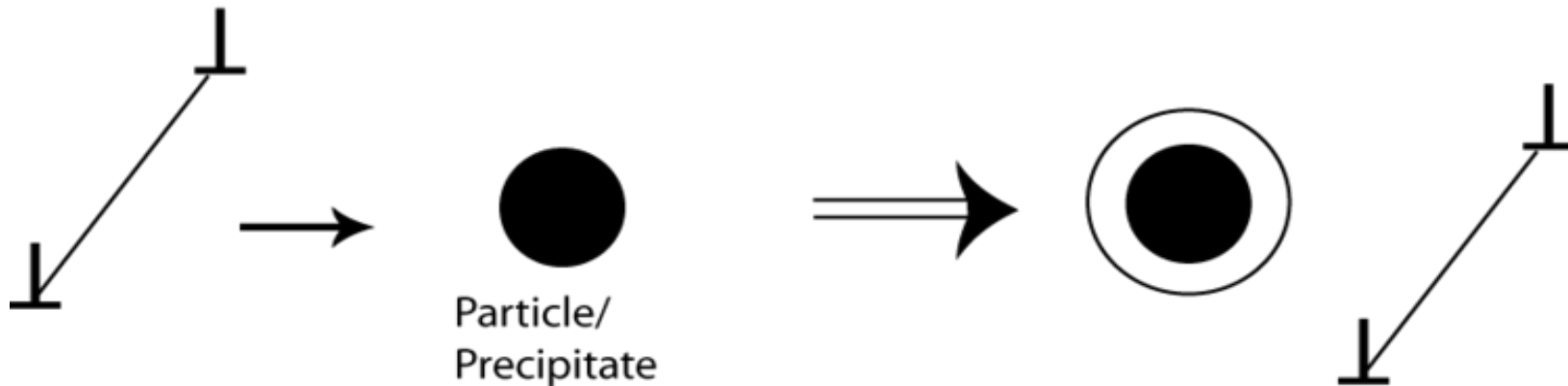


# Precipitate strengthening

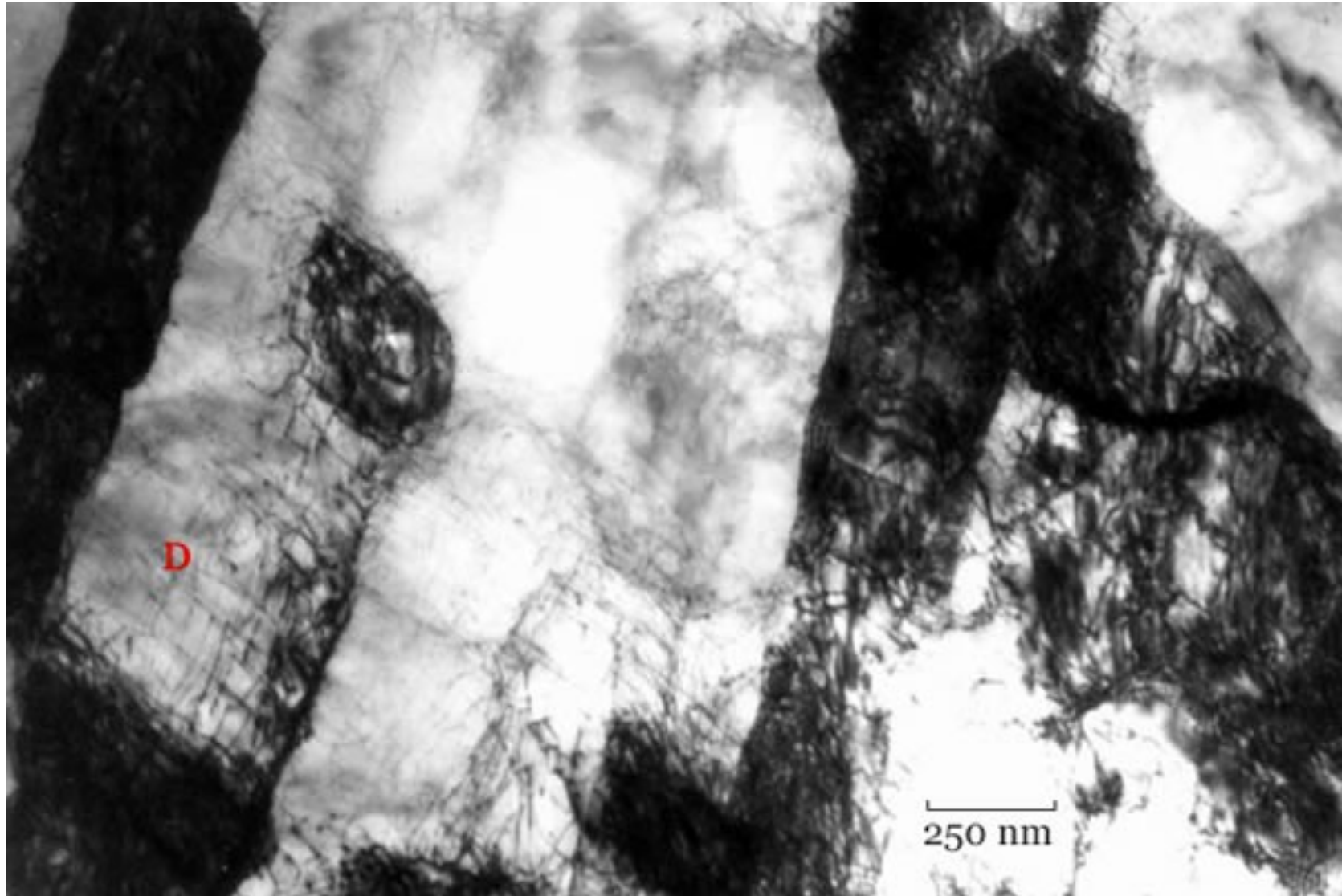
Particle Cutting



Particle Looping

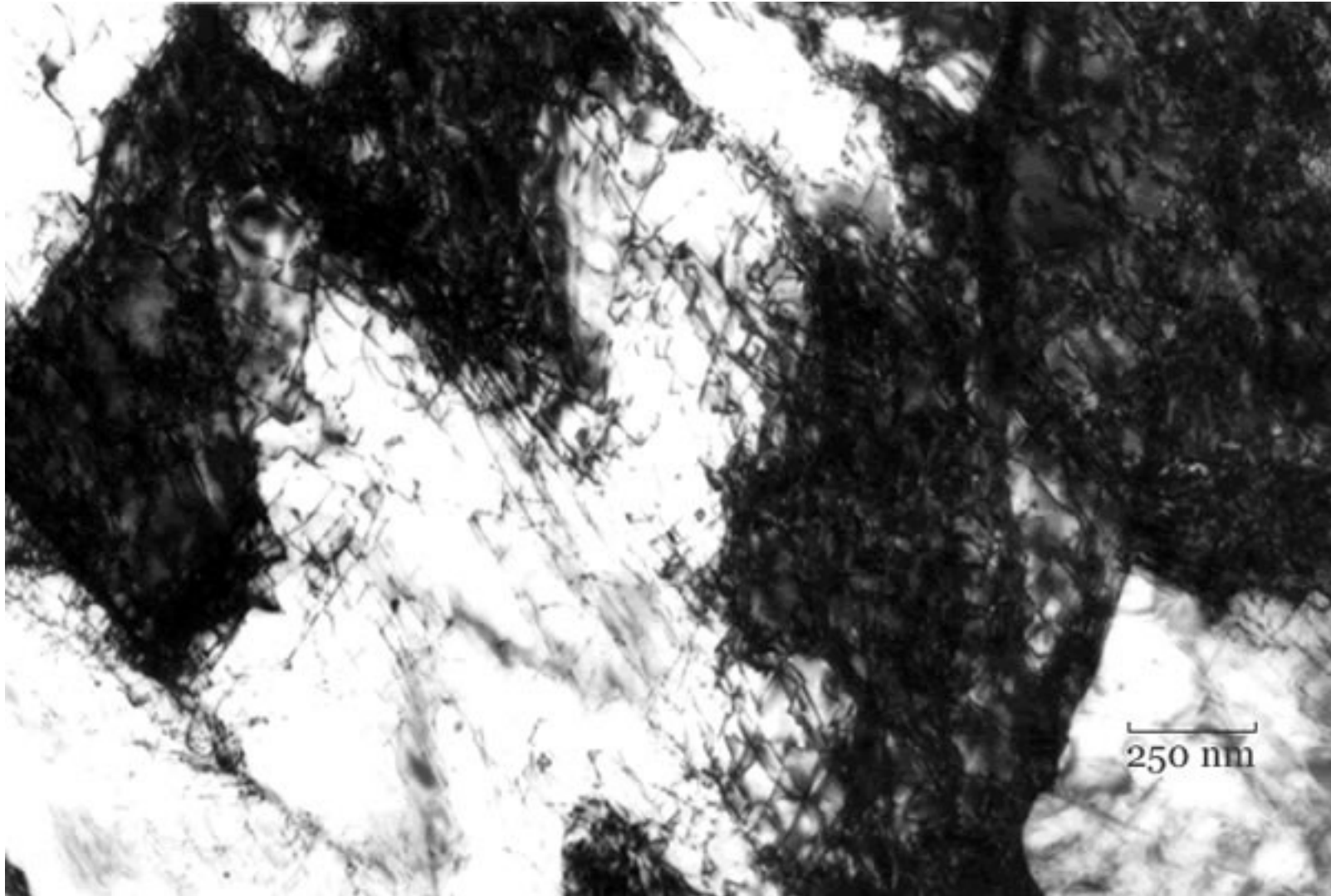


# Work hardening



Steel University.Org Homepage – Forest of dislocations

# Work hardening



# Work hardening

- Dislocation faces a forest of dislocations
- Average spacing between dislocations is the inverse square root of the dislocation density
- Moving dislocation cutting through a forest of dislocations produces jogs
- Jogs exert a pinning force of  $Gb^2/2$
- Thus, work hardening goes as

$$(1/2)Gb(\rho_d)^{0.5}$$

# Grain-size hardening

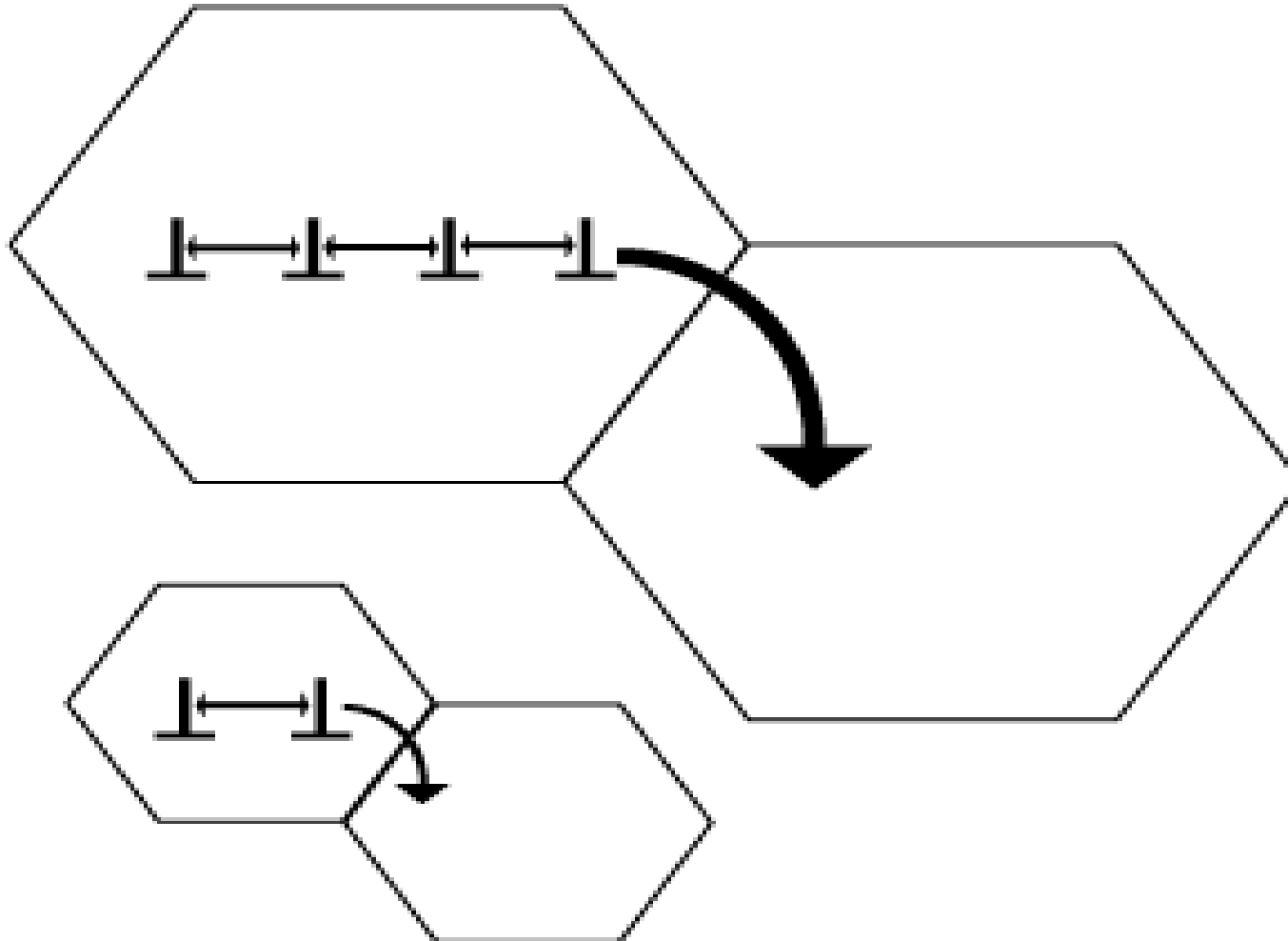


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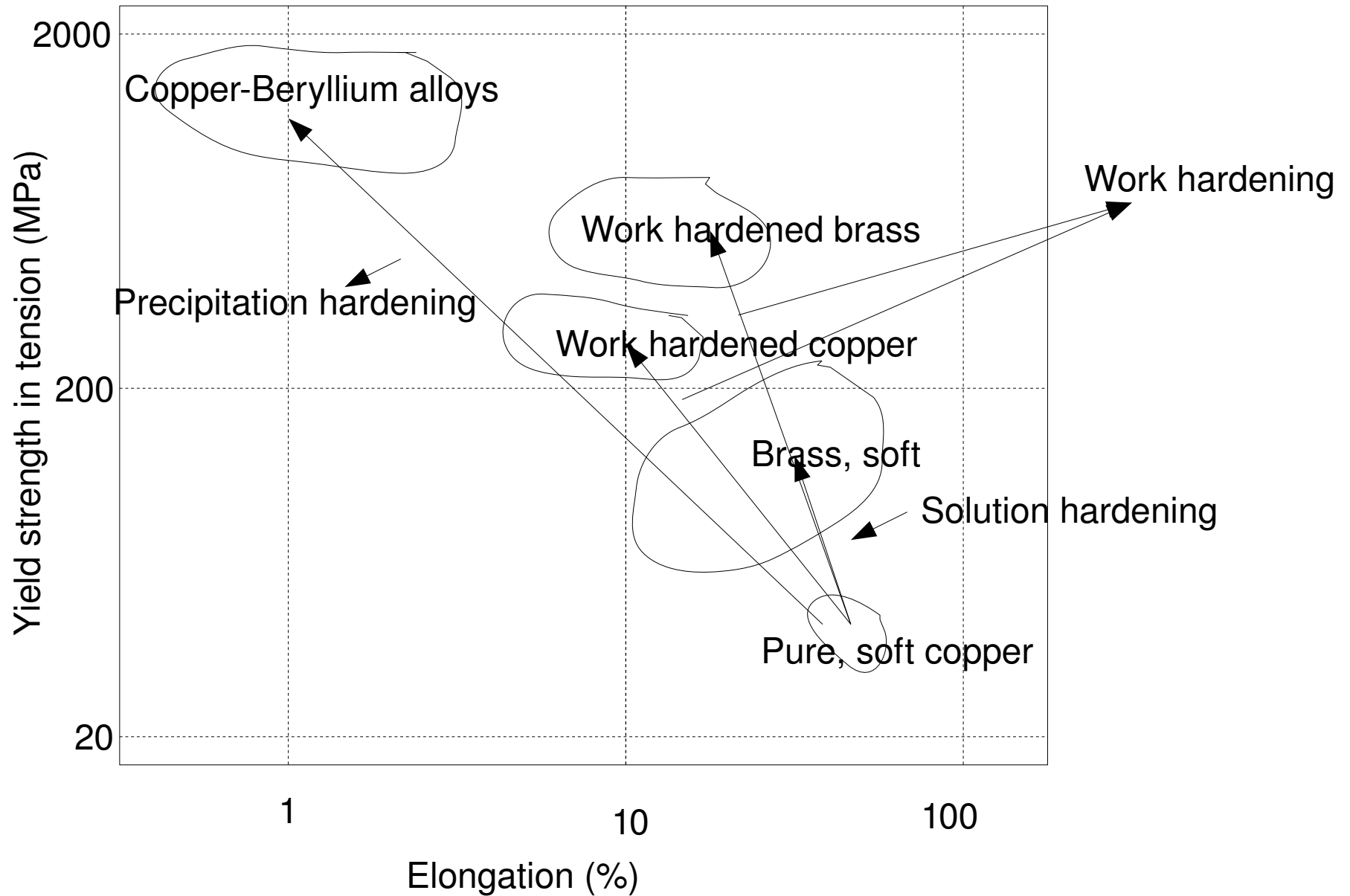
# Grain-size hardening

- $\tau_{gb} = k_p / \sqrt{D}$
- $k_p$  -- Petch constant
- Hall-Petch relationship

# Additivity of strengthening mechanisms

- To first approximation, the strengthening mechanisms are additive;
- Polycrystalline materials in tension – use the strengthening mechanisms, calculate the shear stresses, and use Taylor factor

# Strength versus ductility

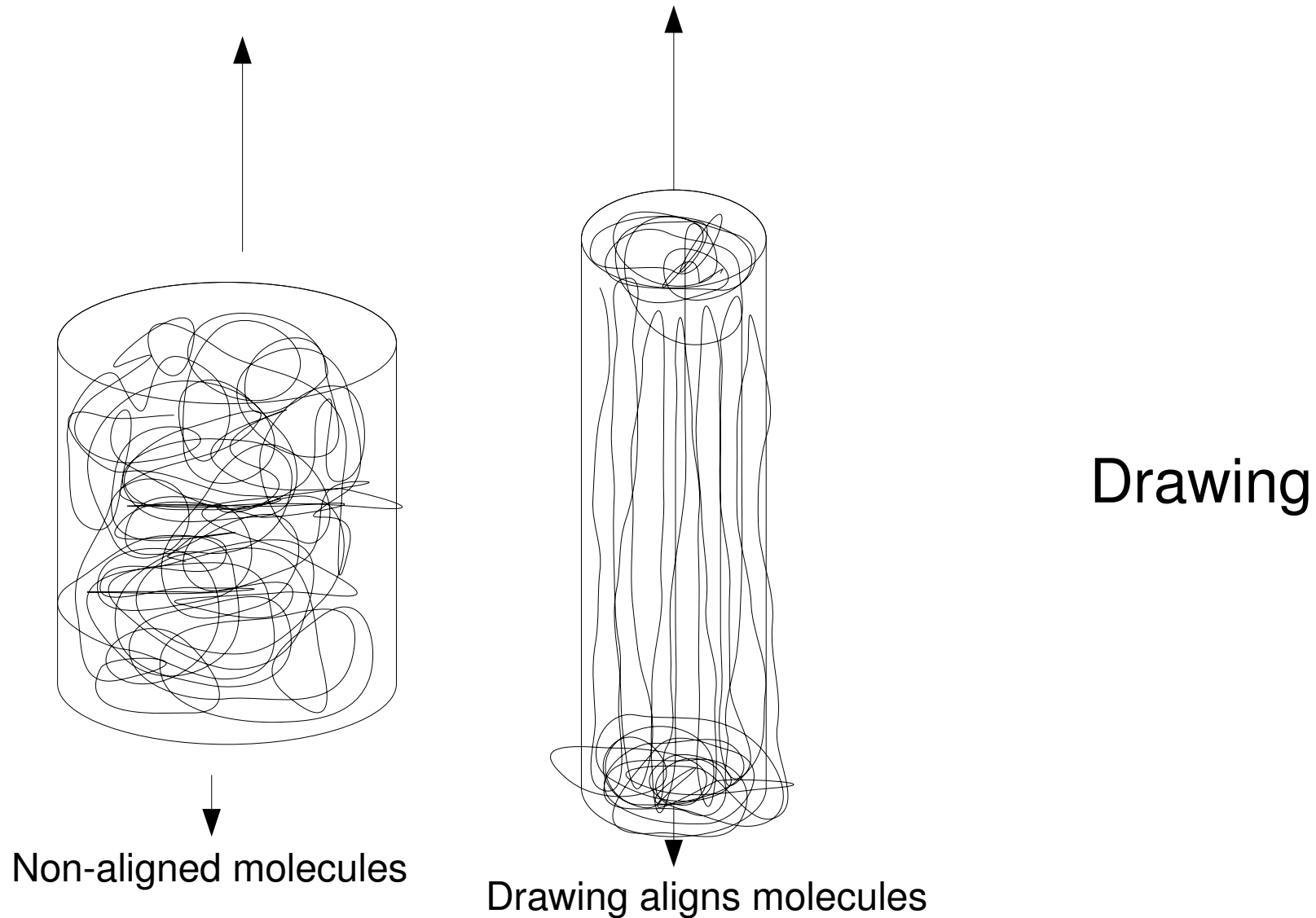




# Strength versus ductility

- Increasing strengths leads to decreasing ductility
- Are there ways of having both – ductility and strength?
- Yes! We'll discuss two methods – cryo-rolling and ECAP later while discussing the processes

# Plastic flow in polymers

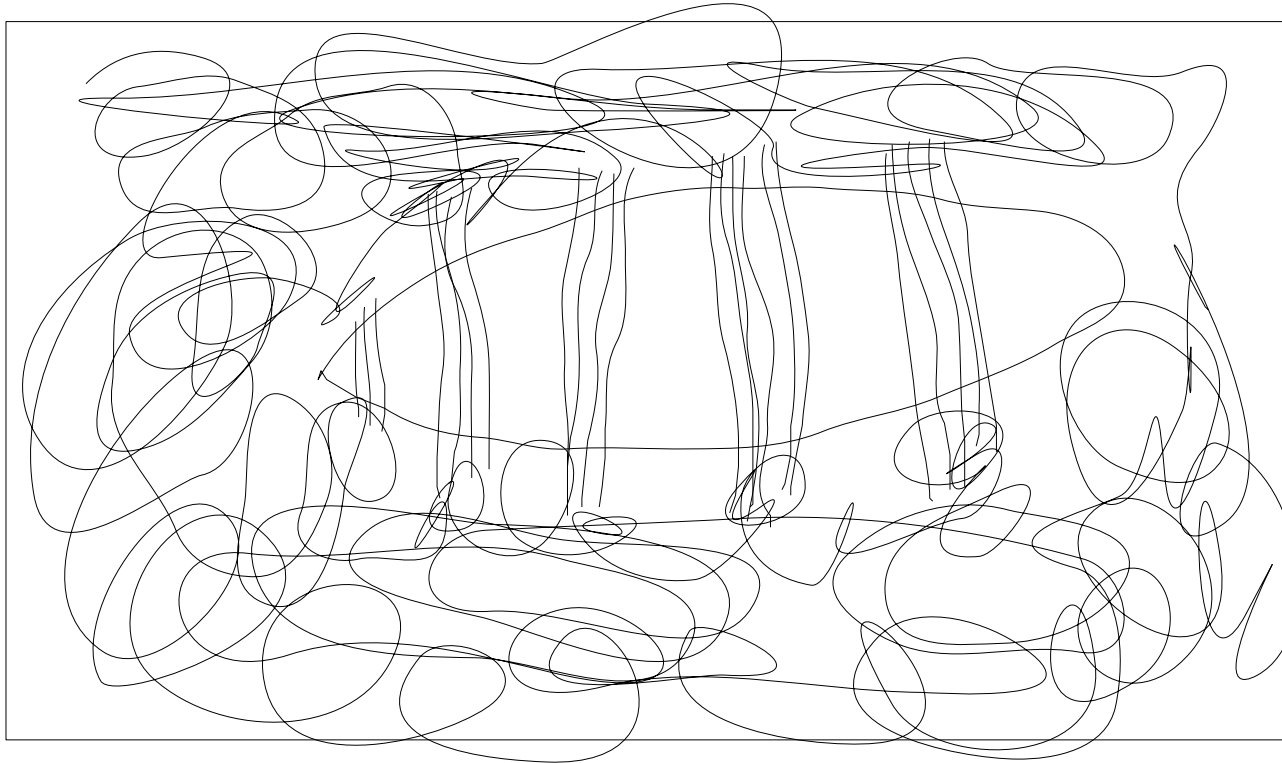


# Drawing

- Low temperatures – polymers are brittle
- Above 0.75  $T_g$ , when pulled in tension, polymers are cold drawn
- Drawn polymer – stiffer by a factor of about 8
- Limited geometry
- Polymers with higher  $T_g$ , at room temperature, craze

# Plastic flow in polymers

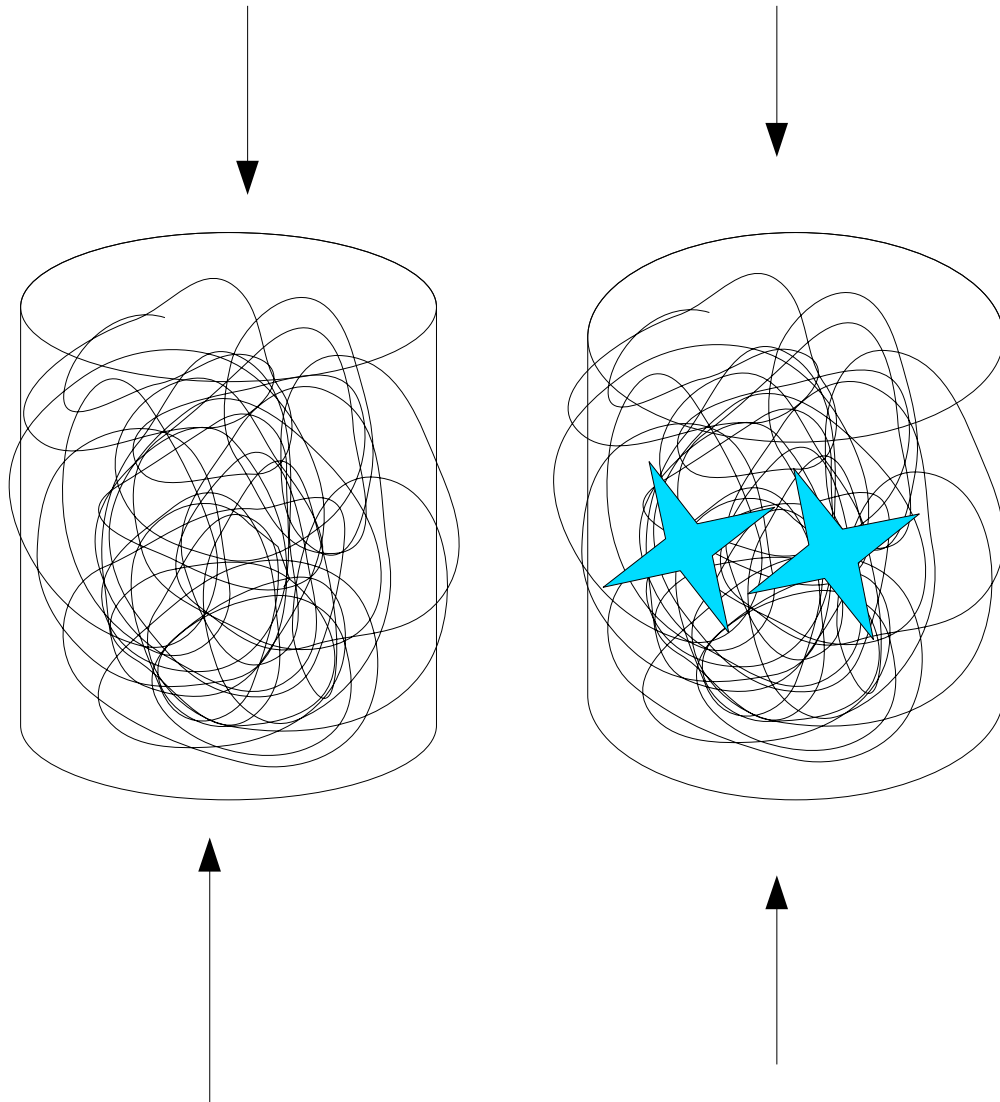
Crazing – crack + drawing



# Crazing

- Crazes scatter light
- Hence, when present, they cause whitening
- Continuous loading – leads to crazes becoming cracks and fracture of sample

# Plastic flow in polymers



Shear-banding

# Shear banding

- Large plastic strain in compression

# Strengthening polymers

- Non-crystalline solids – Dislocation is not a useful concept
- Think of some unit step of the flow process
  - the relative slippage of two segments of a polymer chain
  - shear of a small molecular cluster in a glass
- Lattice resistance – of the same origin; breaking strong bonds are difficult: ceramics are strong; breaking weak bonds are easy: polymers are weak



# Strengthening polymers

- Blending – mixture of two polymers
- Drawing – deliberate use of molecular alignment during stretching to strengthen a polymer
- Cross-linking – creation of strong covalent bonds between long chain molecules
- Reinforcement – particles, fibres or fabrics

Stiffness, hardness, and strength; what next?

Stiffness, hardness, and strength; what next?  
Toughness!

# Toughness



Image courtesy: Christopher Thomas – via the wiki site

# Broken glass – closer look



Image courtesy: Christopher Thomas – via the wiki site

# Ductile fracture



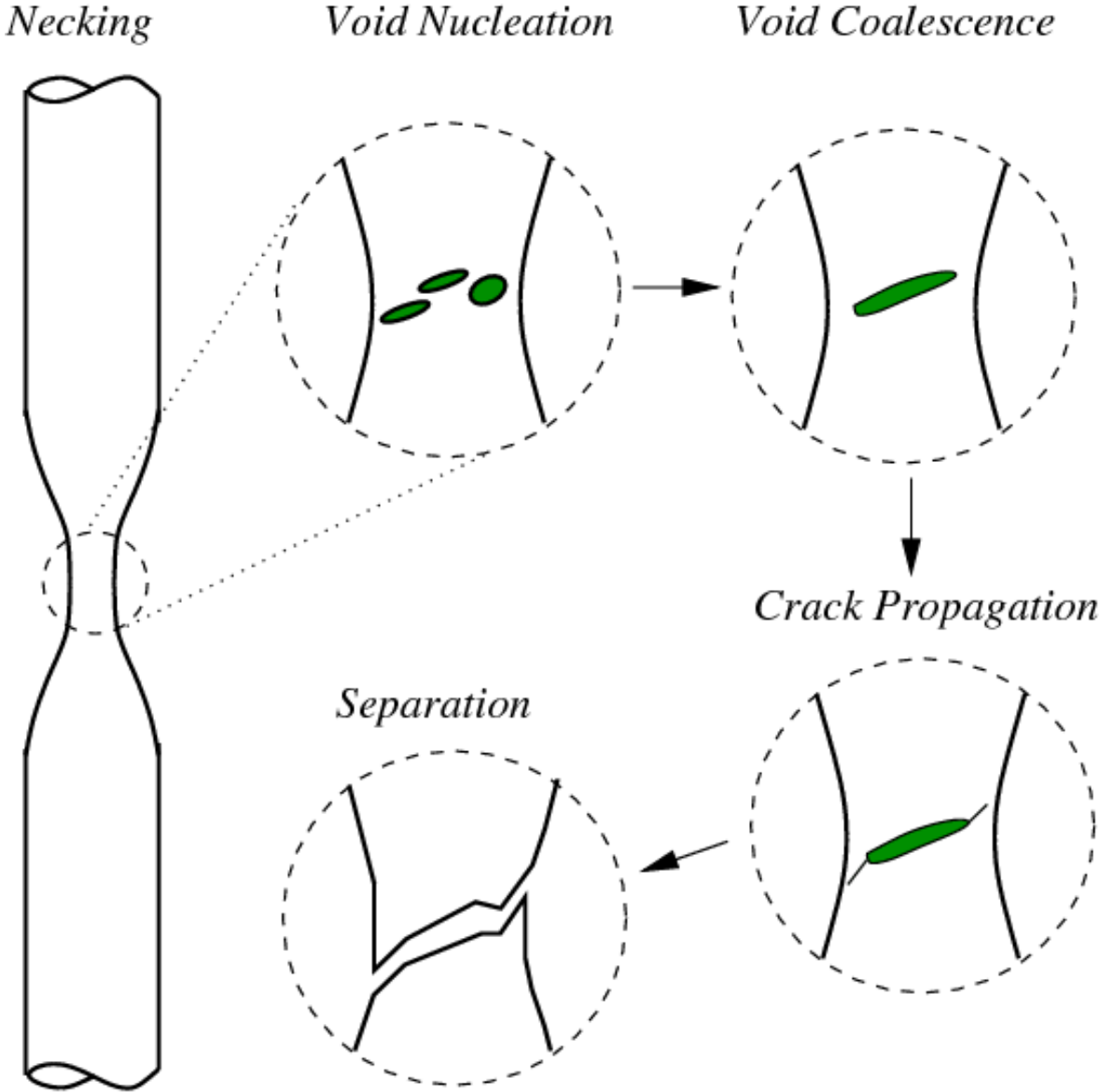
Image courtesy: wiki

# Brittle and fatigue fracture



Image courtesy: wiki

# Ductile fracture





# Fatigue on fanblades

